

4	(a)	Extreme points (0, 120), (50, 100), (100, 0)	M1	3	any of or by drawing objective CAO
		Values 360, 400, 200	A1		
		Maximum = 400	A1		
	(b)	Extreme points (0, 50), (50, 0)	M1	2	or by drawing objective
		Values 50, 200			
		Minimum = 50	A1		
	(c)	$x \geq 0, y \geq 0$	B1	6	Allow strict inequalities for negative gradient OE for fractional gradient OE
		$x + y \geq 50$	B1		
		$2x + y \leq 200$	M1 A1		
		$2x + 5y \leq 600$	M1 A1		
	Total		11		

Q	Solution	Marks	Total	Comments
7 (a)	$x > y + z$ $y \leq \frac{15}{100}(x + y + z)$ $\Rightarrow 17y \leq 3x + 3z$ $y \geq z$ $z < \frac{3}{5}x$ $5z < 3x$ $(C =) 8x + 12y + 14z$	B1 M1 A1 B1 M1 A1 B1	7	allow integer multiples as above
	(b) $y = 6$ $\Rightarrow x + z \geq 34$ $z \leq 6$ $3x > 5z$ $x > z + 6$	M1 A1F		attempt at substituting $y = 6$ at least two correct
		G2	6	one for each line attempt at considering extreme points c.a.o.
	$x = 34, z = 0$ Cost = £344 000 <hr/> <i>Alternative:</i> $y = 6, z \leq 6$ $\therefore x > 6 + z$ $(17 \times 6) \leq 3x + 3z$ $102 - 3z \leq 3x$ $x > 10$ $\Rightarrow x \geq 28$ Minimum at $(34 \times 8) + (6 \times 12)$ = £344 000	M1 A1 B1 M1 A1 B1 M1 A1		attempt at points $(28, 6) \rightarrow (34, 0)$
Total			13	

Q	Solution	Marks	Total	Comments
6(a)	$8x + 8y \leq 7200$ $2x + 3y \leq 2200$ $x \geq 300, y \geq 300$ $x + y \geq 800$ $T = 20x + 25y$	B1 B1 B1 B1 B1	5	-1 for any extra -1 for strict inequalities
(b)		B1 B1 B1 B1 B1 B1	6	$x + y = 900$ $2x + 3y = 2200$ $x = 300$ and $y = 300$ $x + y = 800$ region – pentagon line
(c)	Minimum T at $A (500, 300)$ $T = \pounds 17\,500$ Maximum I at $B (500, 400)$ $I = \pounds 20\,000$	M1 A1 M1 A1	4	c.a.o } c.a.o } method allowed even if with wrong graph
Total			15	

Q	Solution	Marks	Total	Comments
5 (a)	$2x + 4y \leq 50$ $3x + y \leq 24$ $x + y \leq 20$ $x \geq 2, y \geq 2$ $(T =) 20x + 25y$	B1 B1 B1 B1 B1	5	OE (Strict inequalities -1) (equalities -1) (A & B -1) Both
(b)		B1 × 3 B1 B1F B1	6	3 lines $x = 2, y = 2$ (both) closed region marked objective line
(c)	$T = 20x + 25y$ (Min at (2,2) =) £90 Max at (4.6, 10.2) Impossible Max = £335	M1 A1 B2,1 B2	6	Considering extreme points on their region Considering (3, 11) (4, 10) (5, 9) (B1 for 330, 325)
Total			17	